CHRISTIAN SOCIAL SERVICES COMMISSION (CSSC) NORTHERN ZONE JOINT EXAMINATIONS SYNDICATE (NZ-JES)



FORM TWO PRE-NATIONAL ASSESSMENT AUG 2025 MATHEMATICS-AMALI

MARKING SCHEME

Question 01 (11 Marks)

1. a) (i) Fifty-six thousand, seven hundred and eighty-nine (02 Marks)

(ii) $5 \times 10000 + 6 \times 1000 + 7 \times 100 + 8 \times 10 + 9 \times 1$ (02 Marks)

(iii) 5.6789×10^4 (02 Marks)

b) Formula: Time = Distance / Speed (01 Marks)

Substitution; Time = 180 / 60 (02 Marks)

Answer: 3 hours (02 Marks)

Question 02 (08 Marks)

02. a) Given number 34.567

(i) 34.6 (to tenth) (02 Marks)

(ii) 30 (to tens) (02 Marks)

02. b) Subtraction setup: (5x+7y)-(2x+y) (02 Marks)

Grouping like terms: (5x-2x)+(7y-y) (01 Marks)

3x+6y animals (01 Marks)

Question 03 (10 Marks)

03. a) Set up ratio: 4 boys:5 girls (01 Mark)

Set up proportion: 4/5=20/x (02 Marks)

Solving for x: $x = (20 \times 5)/4$ (01 Mark)

Answer: 25 girls (01 Mark)

3. b) Finding The cost per subject: 3,000,000 / 3 = 1,000,000 (02 Marks)

Multiplying by the new number of subjects: 1,000,000×5 (02 Marks)

Answer: 5,000,000 (01 Mark)

Question 04 (11 Marks)

04. a) Let the initial number of mangoes be "m" (01 Mark)

Set up equation: m-5=10 (02 Marks)

Solving m: m=10+5 (01 Mark)

Answer: 15 mangoes (01 Mark)

04. b) Gradient formulas: $m = (y_2-y_1)/(x_2-x_1)$ (02 Marks)

Substitution of points: m = (3-6)/(-6-(-3)) (02 Marks)

Simplification: m=-3/(-3) (01 Mark)

Answer; Gradient of AB = 1 (01 Mark)

Question 05 (10 Marks)

05. a) Given $4^2 \times 2^2$; Required; It's value.

Calculating
$$4^2=4\times4=16$$

(02 Marks)

Calculating
$$2^3 = 2 \times 2 \times 2 = 8$$

(02 Marks)

Multiplying the results: $16 \times 8 = 128$

(01 Mark)

05. b) Calculating the square root of 64: 64 = 8

(02 Marks)

Calculating the cube root of 27: 27 = 3

(02 Marks)

Finding the sum: 8+3=11

 (01_{Mark})

Question 06 (10 Marks)

06. a) Given $log_2 8 = x$; Required; Value of x.

Understanding the definition of logarithm: $log_b a = c$

In exponential form, it become $a = b^c$ (01 Mark)

For $log_2 8 = x$ will become $8 = 2^x$

(01 Mark)

By breaking 8 to get its prime factors, $8=2^3=2^x$

By comparison; x = 3

(02 Marks)

06. b) Given sets $A=\{1,2,3,4,5\}$, Set $B=\{4,5,6,7\}$

Required: Representing on The Venn diagram.

- Identifying the intersection: $A \cap B = \{4,5\}$ (01 Mark)
- Identifying elements only in A: {1,2,3} (01 Mark)
- Identifying elements only in B: {6,7} (01 Mark)
- Drawing a correct Venn diagram: (03 Mark)
- [Venn Diagram with circles A and B, with 1, 2, 3 in A and 6, 7 in B.
- The intersection has 4,5]

Question 07 (10 Marks)

07. a) Given scales 1cm representing 1000cm

Required; Actual distance when the map distance = 5cm 1cm = 1000cm5cm = x $X = (5cm \times 1000cm)/1cm = 5000cm$ (02 Marks) Converting 5000cm into metres 1m = 100cm5000/100 = 50m (02 Marks) \therefore The actual distance = 50m (01 Mark) 7. b) Given; Angle of elevation $(\Theta) = 30 \circ$ Distance from bottom of tree to Angelica = 10m. Required; Height of The tree (h). • Drawing a triangle having the directives: (02)Marks) • [Right-angled triangle with angle of elevation 30 degrees, base 10m, and height h] • Identifying the correct trigonometric ratio: $\tan\Theta = \frac{\text{opp}}{\text{adj}} = \frac{h}{10}$ (01 Mark) • Solving the height: h=10tan30 (01 Mark) • Calculating and rounding off the answers: Height (h) = 5.77m (01)Mark) Question 08 (10 Marks) 08. a) Given; Principal (P) = 10,000/=, Rate (R) = 10%, Period (T) = 3yrs Required; The Interest earned (I) • Simple Interest formula: I = (PRT)/100 (01 Mark) • Substituting values: $I=(10000\times10\times3)/100$ (01 Mark) • Calculation: I=1000×3 (01 Mark) Answer: 3,000 (01 Mark) 8. b) - Recognizing that 34,100 represents 88% The cost price (100%-12%). (02 Marks)

- Setting up of equation:
- 88% = 34,100
- 100% = x (01 Mark)
- Solving for cost price: (100%×34,100)/88% (02 Mark)
- Answer: Cost price = 38,750 Tshs (01 Mark)

Question 09 (09 Marks)

09. a) From the given expression 4x+8

- Identifying the common factor, which is 4, (02 Marks)
- Factor out The common factor: 4(x+2) (02 Marks)
- 9. b) Setting up two equations:

$$x + y = 5$$
 and

$$x - y = 1 (02 Marks)$$

• Solving the system by either elimination, substitution or graphical method. (02 Marks)

(01 Mark)

• Answers: The two numbers are 3 and 2

Question 10 (11 Marks)

- 10. a) Substituting x into the expression: $7(3\times2)^2$ (01 Mark)
 - Solving The inner value; 7(6)2 (01 Mark)
 - Calculating The exponent; 7(36) (01 Mark)
 - 7×36=252 (01 Mark)
 - 10.b) Given number 1999.5619; Required, nearest hundredth and nearest 2 decimal places.
 - (i) 1999.56 (to hundredth) (01 Mark)
 - (ii) 1999.56 (to two d.p) (01 Mark)
 - c) Given numbers; 24 and 36; Required; LCM GCF
 - 24,36
 - 2|12,18
 - 2|6,9
 - 3|3,9

• 3|1,3

• 1,1 (02 Marks)

• GCF=2×2×3=12

• LCM=2×2×2×3×3=72 (01 Mark)

• Difference = LCM - GCF = 72-12 (01 Mark)

• The Answer: = 60 (01 Mark)